

## Matrix Reduction (matred)

Alex and Andrei are playing a game on an  $N \times M$  matrix filled with non-negative integers. The rows of the matrix are numbered from 1 to  $N$  (from top to bottom), and the columns are numbered from 1 to  $M$  (from left to right).

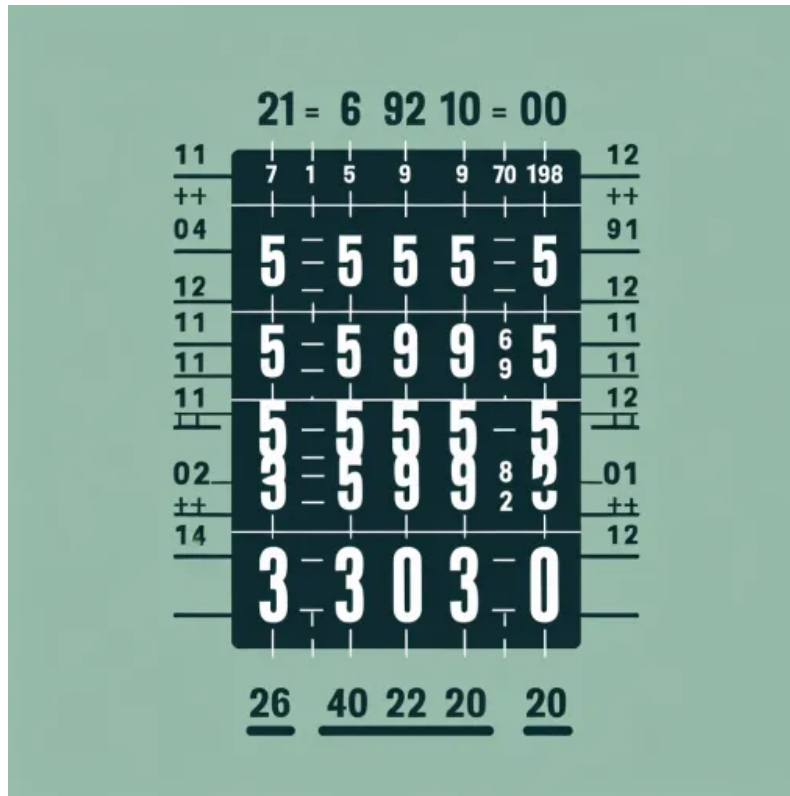


Figure 1: A matrix of numbers.

Alex is allowed to perform the following operation any number of times:

- Choose a horizontal or vertical  $1 \times 3$  subrectangle.
- Select an integer  $V$ .
- Add  $V$  to all numbers in the chosen subrectangle, ensuring that no number becomes negative.

Andrei believes that Alex **cannot** make all the numbers in the matrix zero within at most  $2 \cdot N \cdot M$  operations.

Alex is determined to prove him wrong – but since he hasn't learned addition at school yet, he needs your help. Can you determine whether Alex can reduce the entire matrix to zero within the given limit?

📎 Among the attachments of this task you may find a template file `matred.*` with a sample incomplete implementation.

## Input

The first line of the input contains two integers:  $N$  and  $M$ .

Each of the next  $N$  lines contains  $M$  non-negative integers, representing the elements of the matrix.

## Output

First, print "YES" if it is possible to make all  $A_{i,j}$  equal to zero within at most  $2 \cdot N \cdot M$  operations. Otherwise, print "NO".

If the answer is "YES", proceed with the following output:

- Print an integer  $R$ , the number of operations performed.
- Print  $R$  lines, each describing an operation in the format:  
 $X_1 \ Y_1 \ X_2 \ Y_2 \ V$   
where  $(X_1, Y_1)$  are the coordinates of the top-left corner of the chosen subrectangle,  $(X_2, Y_2)$  are the coordinates of the bottom-right corner of the subrectangle (that is,  $X_1 \leq X_2$  and  $Y_1 \leq Y_2$ ), and  $V$  is the integer added to all elements within the subrectangle.






If there are multiple valid solutions, you can print any of them.

## Constraints

- $3 \leq N \leq 500$ .
- $3 \leq M \leq 500$ .
- $0 \leq A_{i,j} \leq 1000$  for each  $i = 1 \dots N$  and  $j = 1 \dots M$ .
- $-10^9 \leq V \leq 10^9$ .

## Scoring

Your program will be tested against several test cases grouped in subtasks. In order to obtain the score of a subtask, your program needs to correctly solve all of its test cases.

- |                                                                                     |                                  |
|-------------------------------------------------------------------------------------|----------------------------------|
| – Subtask 1 (0 points)                                                              | Examples.                        |
|  |                                  |
| – Subtask 2 (14 points)                                                             | $N \leq 6, M \leq 6$ .           |
|  |                                  |
| – Subtask 3 (25 points)                                                             | $N = 3$ or $M = 3$ .             |
|  |                                  |
| – Subtask 4 (7 points)                                                              | All numbers $A_{i,j}$ are equal. |
|  |                                  |
| – Subtask 5 (54 points)                                                             | No additional limitations.       |
|  |                                  |

Examples

input	output
3 3 1 5 1 2 6 2 8 12 8	YES 6 1 1 1 3 8 2 1 2 3 7 3 1 3 3 1 1 1 3 1 -9 1 2 3 2 -13 1 3 3 3 -9
3 3 1 5 0 2 6 2 8 12 8	NO

Explanation

In the **first sample case**, there are multiple valid solutions, with the sample output being one of them.

In the **second sample case** it can be proven that no sequence of at most  $2 \cdot N \cdot M = 18$  operations will lead to a matrix containing only zeros.